



# Estimating the impact of price regulation on quality of service in post

16<sup>th</sup> CPDE

Portugal

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# Outline



- Introduction
- Review
- Model
- Data
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# Introduction



- ❑ Quality of service is an important element of postal economics and regulation
  - Many regulators regulate quality at a variety of ways (e.g., Ireland, UK, Portugal), often via targets, charters, and fines/bonuses, other
  - Concern over whether price caps give correct incentives for optimal quality has been looked at in a number of papers and in a number of jurisdictions
- ❑ Quality regulation presents particular challenges to regulator/companies
  - Regulator must estimate the optimal trade-off between higher quality and additional cost (if correct quality incentives are to be given)
    - Regulatory policy could give incentive to make quality too high or too low
    - For example, too high quality
      - Could be a barrier to emerging competition or
      - Could require incumbent post to keep price too high, allowing competitors to enter with lower price, lower quality and lower cost
  - Probably in part due to these challenges, many regulators have focused on regulating quality “directly” (e.g., fines, targets) or not at all (formally)
- ❑ However, this raises the question of should the regulator worry about regulated price (margin) as a (significant) element of quality incentives?
  - Fundamental question: does the regulated price (margin) give posts incentive/disincentive to provide quality?

# Review



- Seminal work on relationship between price, monopoly, quality and social welfare from Spence (1975): key results
  - Unregulated monopolist may provide quality higher or lower than socially optimal level
    - Monopolist's incentive to provide quality depends on whether demand is complement (e.g., food) or substitute (e.g., cars) to quality
- Recent empirical work in other regulated industries has focused on whether incentive regulation might give poor incentives to provide quality (e.g., Sappington RNE 2003)
  - However, a more fundamental question arises as to whether a “regulated” monopolist has the same incentives as the unregulated monopolist
    - (as opposed to focus on the form of the price control, e.g., whether price cap or COS regulation gives different quality incentive properties)

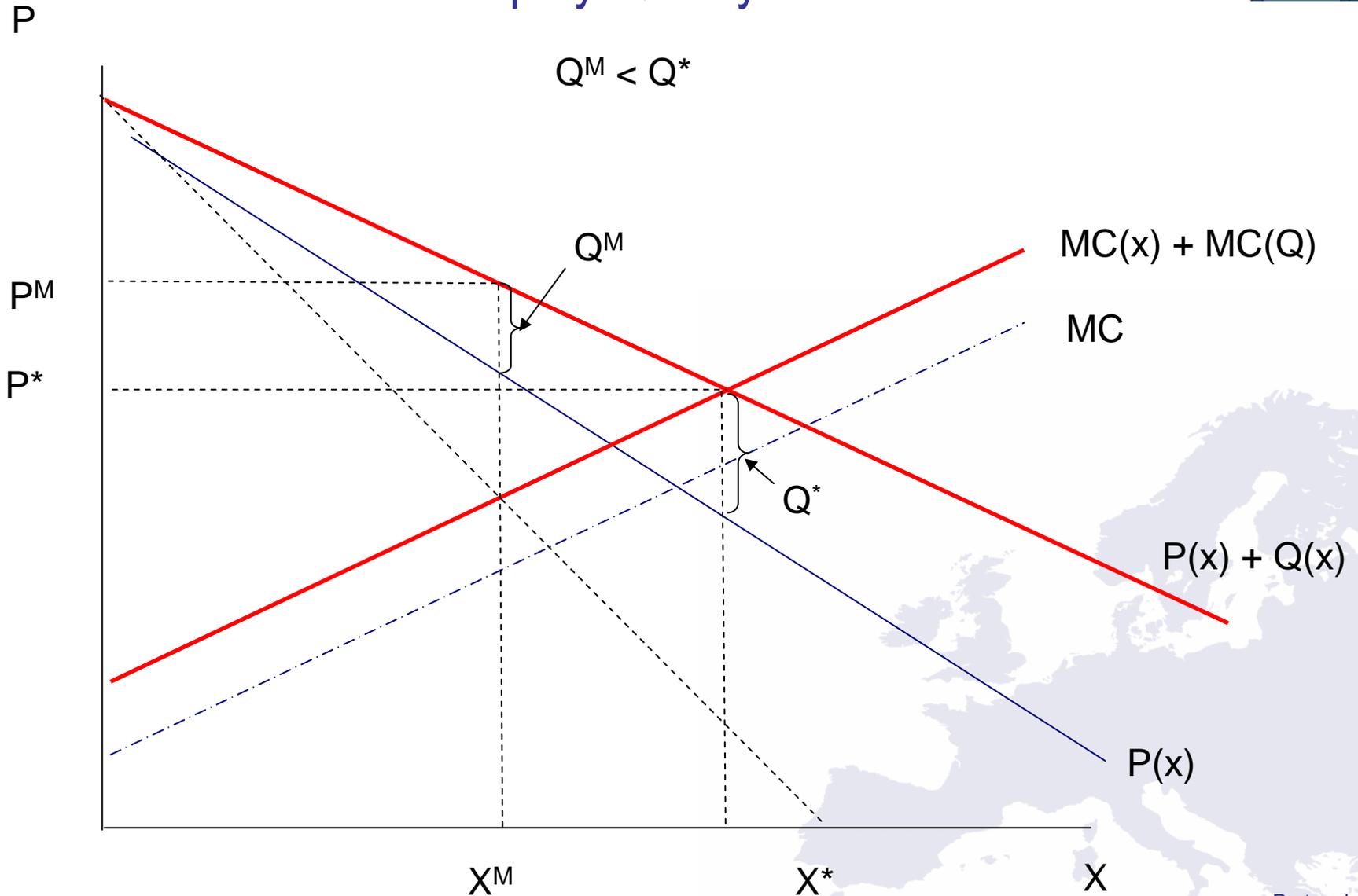
# Review



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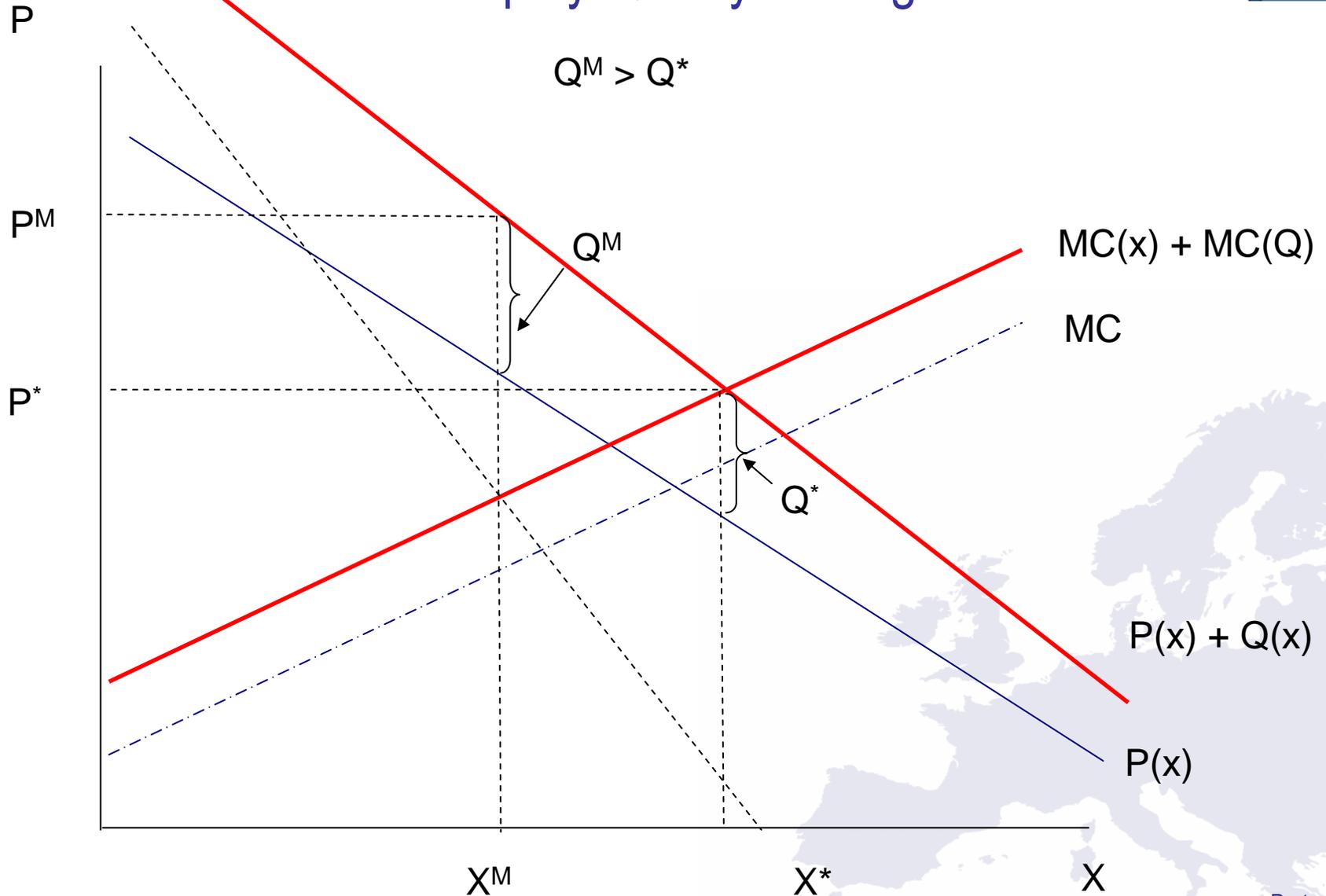
# Quality and Monopoly

## Monopoly Quality too Low



# Quality and Monopoly

## Monopoly Quality too High



# Model



□ The model starts with a price-regulated monopolist who maximises profits, and derives quality as a function of other variables (quality is the choice variable)

- Profit, with  $\bar{p}$  fixed price,  $D$  demand,  $C$  cost and  $q$  quality

$$\pi = \bar{p}D(\bar{p}, q) - C(D(\bar{p}, q), q)$$

$$\ln(\bar{p} - C') = \ln\left(\frac{\partial C}{\partial q}\right) - \ln\left(\frac{\partial D}{\partial q}\right)$$

- We assume the cost function has the translog form (1<sup>st</sup> order)
- We assume the demand function has the form

$$D(\bar{p}, q) = \frac{a}{\bar{p}} q$$

$$\ln D_q = \ln a - \ln \bar{p}$$

# Model



- Rearranging and substituting between the FOCs and the cost function and adding an assumed error term gives an estimating equation

$$\ln q = \alpha + \sum_i \beta_i \ln p_i + \beta_D \ln D + \beta_t \ln t + \beta_{pc} \ln[(\bar{p} - C')D_q] + \varepsilon$$

- Rearranging gives the following equation, with the last term notably a function of the PCM-LI and a demand shifting parameter “a”

$$\ln q = \alpha + \beta_w \ln p_w + \beta_D \ln D + \beta_t \ln t + \beta_{pc} (\ln[(\bar{p} - C')/\bar{p}] + \ln a) + \varepsilon$$

- Above  $\beta$  are parameters,  $D$  is total demand,  $t$  is time,  $p$  is input price(s) (wage),  $\bar{p}$  is regulated price,  $C'$  is marginal cost, and  $a$  is a demand shifting variable, taken to be GDP
  - Note the model implies a restriction on the demand shift variable coefficient and the pcm variable coefficient

# Data



- ❑ The model requires data on quality  $q$ , which should be a function of input prices,  $p_w$ , demand,  $D$ , and margins,  $pcm$ , and the log a demand shift variable, GDP
- ❑ Quality variable is average number of days to deliver, input price is wage (total labour cost/total FTEs), demand is all domestic + international letter post items
- ❑ The data are from UNEX, UPU, Amadeus, IPC, OECD, and other sources
- ❑ Variables were all put into real USD values based on OECD data on inflation, exchange rates, and PPP
- ❑ Of particular interest is the PCM variable
  - We used two methods to create this variable
    - Using the method of Cohen et al (2004), we estimate the AC function for each post using a panel with fixed effects and then marginal costs are estimated from  $dC/dQ\{AC*Q\} = MC$  of the predicted values/equations
    - We also used an accounting method using Amadeus data according to the method of (Collins and Preston 1969):  $PCM = (TR - \text{wages} - \text{materials})/TR$

# Estimation



- ❑ Model as specified is linear in logs and amenable to standard panel estimation techniques
- ❑ An observation is a quality realisation for a “country pair”, while the rest of the observations are annual
- ❑ We estimated fixed effects (fe), between group effects (be), and random effects (re) models using standard estimation software (STATA)
- ❑ The Hausman test was performed and pointed to either the fixed effects or random effects model
  - (somewhat inconclusive depending on  $H_0$ )
  - Fixed effects model preferred based on  $R^2$  and intuitive appeal

# Results



## Fixed effects model regression results below

```

Fixed-effects (within) regression      Number of obs      =      1253
Group variable (i): co_codest_n      Number of groups   =      252

R-sq:  within = 0.3263                Obs per group: min =      1
      between = 0.0257                avg =      5.0
      overall = 0.0864                max =      8

corr(u_i, Xb) = -0.3954              F(4,997)           =     120.72
                                      Prob > F            =      0.0000
    
```

lnavg_dys	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnpcm_gdp	-.0095476	.005418	-1.76	0.078	-.0201797	.0010844
lnt	-107.5202	8.716373	-12.34	0.000	-124.6248	-90.41569
lnvol	-.0385698	.0132326	-2.91	0.004	-.0645369	-.0126028
lnwage	.4249338	.0690602	6.15	0.000	.2894138	.5604538
_cons	814.6853	65.53687	12.43	0.000	686.0792	943.2913
sigma_u	.2580639					
sigma_e	.16076737					
rho	.72041027	(fraction of variance due to u_i)				
F test that all u_i=0:			F(251, 997) =	5.38	Prob > F = 0.0000	

# Results



## □ Interpreting the results

- $\text{Lnpcm\_gdp}$ 
  - The price cost margin has a significant and expected sign impact on quality
  - An increase in pcm of about 1% leads to an increase in quality (reduction in the average number of days) of about 0.01% (times GDP)
    - o at the sample mean of  $\text{Lngdp}$  (about 7.9), this implies
  - 0.08% decrease in the avg number of days due to PCM impacts
- $\text{Lnt}$ 
  - Time trend or unexplained exogenous quality increase over time has been the largest and statistically significant impact on quality (quality increasing with time)
- $\text{Lnv}$ 
  - Volume has a significant and positive impact on quality (reduced avg #days)
  - This *is* the expected sign, to the extent that higher volume gives more incentive to raise quality, but unaccounted for capacity constraints may be at work)
- $\text{Lnwage}$ 
  - The wage has a significant and (unexpected) sign impact on quality, with a 1% rise in the wage leading to a 0.21% increase in the average number of days

# Conclusions



- ❑ The model as derived provides a sound theoretical basis for the estimation of the impact of regulated prices (via margins) on quality
- ❑ The model and evidence suggest margins have a significant and positive impact on quality
  - Although in absolute terms the magnitude of the impact is not large
  - With a feedback effect from quality → volume, the impact of quality could be about 50% higher
- ❑ Higher wages seem to have a negative impact on quality, but it is difficult to interpret this result
  - Could be proxy for inflexibility in work practices, other related factors
  - Could be spurious as possibly higher quality posts reduced labour force
    - Although, regression of  $\ln wage$  on  $\ln t$  positive and significant

# Directions for future research



- ❑ Have advanced along the path of understanding the interactions between regulation, margins, and quality
- ❑ Data availability, accuracy, and timeliness is always important
  - Continued effort to keep international data up to date, ensure coverage, etc, not to be undervalued
- ❑ Still a long way from designing optimal regulator incentives for regulated posts
  - Is the level of margin needed consistent with Consumers' willingness to pay?
  - What implications of this research for the form of the price control and other forms of regulation?
  - How does the USO interact with the incentives to provide quality?
    - USO could imply higher or lower margins, and higher or lower quality

# Annex slides



# Model Derivation Details



□ The model starts with a price-regulated monopolist who maximises profits

- Profit, with  $\bar{p}$ -bar fixed price,  $D$  demand,  $C$  cost and  $q$  quality

$$\pi = \bar{p}D(\bar{p}, q) - C(D(\bar{p}, q), q)$$

- FOC's are

$$\frac{\partial \pi}{\partial q} = \bar{p} \frac{\partial D}{\partial q} - \left[ \frac{\partial C}{\partial D} \frac{\partial D}{\partial q} + \frac{\partial C}{\partial q} \right] = 0$$

- Rearranging, and taking the log:

$$(\bar{p} - C') = \frac{\partial C}{\partial q} / \frac{\partial D}{\partial q} \qquad \ln(\bar{p} - C') = \ln\left(\frac{\partial C}{\partial q}\right) - \ln\left(\frac{\partial D}{\partial q}\right)$$

# Model Derivation Details



- The translog cost function (Jorgenson, Christensen, Lau 1973) using our notation
- We take a first order approximation, so the higher order terms drop out

$$\begin{aligned}\ln C = & \alpha_0 + \sum_i \alpha_i \ln p_i + \alpha_D \ln D + \alpha_q \ln q + \alpha_t \ln t + \\ & \frac{1}{2} \sum_J \sum_i \gamma_{ij} \ln p_i \ln p_j + \frac{1}{2} \gamma_D (\ln D)^2 + \frac{1}{2} \gamma_q (\ln q)^2 + \frac{1}{2} \gamma_t (\ln t)^2 + \\ & \sum_i \gamma_{iD} \ln p_i \ln D + \sum_i \gamma_{it} \ln p_i \ln t + \sum_i \gamma_{iq} \ln p_i \ln q + \\ & \gamma_{Dq} \ln D \ln q + \gamma_{Dt} \ln D \ln t + \gamma_{qt} \ln q \ln t\end{aligned}$$

# Model Derivation Details



- Ignoring the higher order terms (making it a first order approximation), taking the anti-log of the above, taking the partial derivative, and then taking the log of that, gives a logarithmic derivative equation for the marginal cost of  $q$

$$\ln \left[ \frac{\partial C}{\partial q} \right] = \alpha_0 (\alpha_q) + \sum_i \alpha_i \ln p_i + \alpha_D \ln D + (\alpha_q - 1) \ln q + \alpha_t \ln t$$

- Rearranging and substituting into the previous equation from the FOC:

$$\ln q = \left( -\alpha_0 \alpha_q / (\alpha_q - 1) \right) + \sum_i \left( -\alpha_i / (\alpha_q - 1) \right) \ln p_i + \left( -\alpha_D / (\alpha_q - 1) \right) \ln D + \left( -\alpha_t / (\alpha_q - 1) \right) \ln t + \left( 1 / (\alpha_q - 1) \right) \ln(\bar{p} - C') + \left( 1 / (\alpha_q - 1) \right) \ln(D_q)$$

# Model Derivation Details



- We don't really care whether we recover specific values of the original parameters, so the above is a linear in the coefficients equation that with the addition of an assumed random error term can be estimated

$$\ln q = \alpha + \sum_i \beta_i \ln p_i + \beta_D \ln D + \beta_t \ln t + \beta_{pc} \ln[(\bar{p} - C')D_q] + \varepsilon$$

- We assume that the demand function has the form:

$$D(\bar{p}, q) = \frac{a}{\bar{p}} q \quad \frac{\partial D}{\partial q}(\bar{p}, q) = \frac{a}{\bar{p}} \quad \ln D_q = \ln a - \ln \bar{p}$$

$$\ln q = \alpha + \sum_i \beta_i \ln p_i + \beta_D \ln D + \beta_t \ln t + \beta_{pc} (\ln[(\bar{p} - C')/\bar{p}] + \ln a) + \varepsilon$$

# Data additional details



- ❑ Demand was taken to be volume of all letter post items international + domestic from UPU data
- ❑ The marginal cost estimates were based on total cost and volume figures from Amadeus, and population figures from UPU
- ❑ For 3 of the PCM estimates, PCM's  $< 0$  were predicted based on odd MC predictions; for these posts, we substituted the accounting-based PCM estimates

# Results-additional details



□ Random effects model regression results below

```

Random-effects GLS regression                Number of obs    =    1253
Group variable (i): co_codest_n            Number of groups  =     252

R-sq:  within  = 0.3179                    Obs per group:  min =     1
        between = 0.0335                    avg   =     5.0
        overall = 0.1165                    max   =     8

Random effects u_i ~ Gaussian               Wald chi2(4)     =    352.83
corr(u_i, X) = 0 (assumed)                 Prob > chi2      =     0.0000
    
```

lnavg_dys	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
lnpcm_gdp	-.0093502	.0038985	-2.40	0.016	-.0169912	-.0017092
lnt	-78.39383	6.407404	-12.23	0.000	-90.95211	-65.83555
lnvol	-.0068206	.0074082	-0.92	0.357	-.0213405	.0076992
lnwage	.2082241	.0462029	4.51	0.000	.1176681	.29878
_cons	594.8978	48.25406	12.33	0.000	500.3216	689.474
sigma_u	.15929592					
sigma_e	.16076737					
rho	.49540271	(fraction of variance due to u_i)				

# Results-additional details



□ Between group effects model regression results below

```

Between regression (regression on group means)  Number of obs      =      1253
Group variable (i): co_codest_n                Number of groups   =       252

R-sq:  within  = 0.2806                        Obs per group: min =         1
        between = 0.1549                        avg      =         5.0
        overall = 0.0477                        max      =         8

                                                F(4,247)           =      11.32
sd(u_i + avg(e_i.))= .1864326                  Prob > F           =      0.0000
    
```

lnavg_dys	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnpcm_gdp	-.0104674	.0057341	-1.83	0.069	-.0217614	.0008266
lnt	57.14274	12.45311	4.59	0.000	32.6149	81.67058
lnvol	.0170623	.0093035	1.83	0.068	-.0012621	.0353866
lnwage	.0802899	.0591304	1.36	0.176	-.0361742	.1967539
_cons	-434.5968	94.33483	-4.61	0.000	-620.4	-248.7935



# Results-additional details

□ Random effects model *without* the restriction that coefficients on  $\ln pcm = \ln gdp$

```

Random-effects GLS regression                Number of obs   =       1253
Group variable (i): co_codest_n            Number of groups =        252

R-sq:  within = 0.3161                      Obs per group:  min =         1
        between = 0.0336                      avg =         5.0
        overall = 0.1180                      max =         8

Random effects u_i ~ Gaussian              Wald chi2(5)    =       353.90
corr(u_i, X) = 0 (assumed)                 Prob > chi2     =         0.0000

```

lnavg_dys	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
lnpcm_avg	-.0180171	.0087034	-2.07	0.038	-.0350756	-.0009587
lngdp	-.0077521	.0041529	-1.87	0.062	-.0158917	.0003875
lnt	-79.88712	6.548511	-12.20	0.000	-92.72196	-67.05227
lnvol	-.0054227	.0075076	-0.72	0.470	-.0201373	.0092919
lnwage	.2113169	.0462726	4.57	0.000	.1206242	.3020095
_cons	606.166	49.32113	12.29	0.000	509.4984	702.8337
sigma_u	.15916769					
sigma_e	.16083168					
rho	.49480015	(fraction of variance due to u_i)				

test lnpcm\_avg = lngdp

( 1) lnpcm\_avg - lngdp = 0

```

        chi2( 1) =      1.24
        Prob > chi2 =     0.2654

```



# Results-additional details

Fixed effects model *without* the restriction that coefficients on  $\ln pcm = \ln gdp$  and test

```

Fixed-effects (within) regression      Number of obs      =      1253
Group variable (i): co_codest_n      Number of groups   =       252

R-sq:  within = 0.3264                Obs per group: min =         1
      between = 0.0248                avg =          5.0
      overall = 0.0867                max =          8

corr(u_i, Xb) = -0.3995                F(5,996)           =      96.54
                                          Prob > F            =      0.0000

```

lnavg_dys	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnvol	-.0386261	.0132385	-2.92	0.004	-.0646047	-.0126475
lnwage	.4269367	.0692308	6.17	0.000	.2910818	.5627916
lnt	-107.2675	8.737898	-12.28	0.000	-124.4143	-90.12067
lnpcm_avg	-.0064796	.0087047	-0.74	0.457	-.0235613	.010602
lngdp	-.0108998	.006196	-1.76	0.079	-.0230585	.0012589
_cons	812.7566	65.70275	12.37	0.000	683.8249	941.6883
sigma_u	.25875546					
sigma_e	.16083168					
rho	.72132633	(fraction of variance due to u_i)				

F test that all  $u_i=0$ :  $F(251, 996) = 5.33$  Prob > F = 0.0000

test  $\ln pcm\_avg = \ln gdp$

( 1)  $\ln pcm\_avg - \ln gdp = 0$

F( 1, 996) = 0.20  
 Prob > F = 0.6525

# Results-additional details



## □ Summary statistics for key variables

Variable	Obs	Mean	Std. Dev.	Min	Max
avg_dys	2154	2.679851	.7728875	1.8	8.3
vol_tot	1798	3.22e+09	5.50e+09	4.87e+07	2.68e+10
wage	2063	43989.36	12806.89	22089.2	78787.5
pcm_avg	2696	.5289433	.3842853	.0280134	1.848848
gdp	2999	103768.7	270832.6	66.99138	1485300